

B.Sc DEGREE EXAMINATION, APRIL 2019
III Year V Semester
Dynamics

Time : 3 Hours

Max.marks :75

Section A ($10 \times 2 = 20$) Marks

Answer any **TEN** questions

1. A particle has two velocities \vec{v}_1 and \vec{v}_2 . Its resultant velocity is equal to \vec{v}_1 in magnitude. Show that when the velocity \vec{v}_1 is doubled, the new resultant is perpendicular to \vec{v}_2 .
2. Define Angular Velocity of a particle.
3. Define Simple harmonic motion.
4. If the distance x of a point moving on a straight line measured from a fixed point on it and its velocity v are connected by the relation $4v^2 = 25 - x^2$, show that the motion is simple harmonic.
5. Define maximum height and horizontal range of a projectile.
6. Define a projectile.
7. Define impulsive force.
8. State the principle of conservation of linear momentum.
9. Define Moment of Inertia.
10. Find the moment of inertia of a circular ring.
11. A boat which can steam in still water with velocity of 48km.ph is steaming with its bow pointed due east when it is carried by a current which flows northward with a speed of 14km.ph. Find the actual distance it would travel in 12 minutes.
12. A particle is executing a Simple harmonic motion with O as the mean position and a as the amplitude. When it is at a distance $a/2$ from O, its velocity is quadrupled by a blow. Show that its new amplitude is $7a/2$.

Section B ($5 \times 5 = 25$) Marks

Answer any **FIVE** questions

13. A ship sails north-east at 15 km.ph and to a passenger on board, the wind appears to blow from north with a velocity of $15\sqrt{2}$ km.ph. Find the true velocity of the wind.
14. If a point moves in a straight line with uniform acceleration and covers successive equal distances in times t_1 , t_2 , t_3 then show that $\frac{1}{t_1} - \frac{1}{t_2} + \frac{1}{t_3} = \frac{3}{t_1 + t_2 + t_3}$.

15. Show that in a simple harmonic motion the sum of Kinetic energy and potential energy is a constant.
16. Show that the path of a projectile is a parabola.
17. Two spheres A and B of same size lie on a smooth, horizontal circular groove at opposite ends of a diameter . A is projected along the groove and after a time t it impinges upon B. Show that, if e is the coefficient of restitution, it then the second impact will occur after a time.
18. A small ball A impinges directly u[on an equal ball B. Then B strikes a cushion which is at right angles to the direction of motion of B and after rebounding, meets A at a point exactly halfway between the sushion and its own initial position. If the coefficient of restitution between the balls is e and that between the ball and the cushion is e' then show that $e' = \frac{1 - e}{3e - 1}$.
19. Find the moment of inertia of a solid right circular cone.

Section C ($3 \times 10 = 30$) Marks

Answer any **THREE** questions

20. A vertical circular disc of radius a rolls on a ground without slipping along a straight line with a linear velocity u . Find the velocity of any point on its rim.
21. Two bodies of masses m and m' are attached to the lower end of an elastic string whose upper end is fixed and hang at rest. m' falls off. Show that the distance of m from the upper end of the string at time t is $a + b + c \cos \sqrt{\frac{g}{b}} t$, where a is the unstretched length of the string and b and c are the distances by which it would be stretched when supporting m and m' .
22. A particle is projected over a triangle from one end of its horizontal base to graze the vertex and fall at the other end of the base. If B and C are the base angles and α , the angle of projection, show that $\tan \alpha = \tan B + \tan C$.
23. Find the velocities of two smooth spheres after a direct impact between them.
24. State and prove Parallel axis theorem.

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